Physical layer authentication Review of physical layer authentication techniques

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Outline

1 Introduction

- 2 Low OSI layers security
- 3 Physical layer authentication
- 4 Superimposed-tag authentication
- 5 Slope authentication

6 Conclusion

My research is about enhancing security at low OSI layers in industrial internet of things (IIoT) field.

IoT characteristics:

- ² Limited ressources: storage, energy, computation, ...
- [°] Diversity in protocols and in devices
- [°] Profit driven businesses
- [°] Lack of related legislation

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\Rightarrow Security flaws

Industrial Internet of Things (IIoT)

IIoT characteristics:

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\Rightarrow We need cybersecurity !!!

Why low OSI layers security ?

From [4]

Layer	Protocol data unit (PDU)
Application	Data
Presentation	Data
Session	Data
Transport	Segment, Datagram
Network	Packet
Data link	Frame
Physical	Bit, Symbol

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Because there are attacks on low layers ...





How to defend against them in PHY layer ?



What's physical layer authentication (PLA) ?

From [1]

What's physical layer authentication (PLA) ?

It allows a legitimate receiver to distinguish between a legitimate transmitter and a rogue one [1].

It enables defense against both passive (eavedropping) and active (impersonation) attacks.

It occurs at the physical layer where the unauthenticated signals can be ignored and quickly rejected.

From [1]

PLA should be robust, secure and covert

- Robustness: The technique should be robust to channel fading and noise effects
 <u>Channel fading</u>: random signal attenuation due to the environment of the communication channel [5].
- **2** Security: The technique should be resistant to adversary attacks
- 3 Covertness: Unaware receiver should be able to decode signals sent from an aware transmitter

Active or passive PLA ?

- Passives: use channel and/or device properties to authenticate a transmitter
 - * Drawback: sensitive to external variables, e.g. temperature
- 2 Actives: Embbed a "tag" to the signal to authenticate the transmitter
 - * if lightweight, this should be useful in industry environment

From [1, 6, 7]

Communication scenario and roles



Key establishment and message transmission stages in active PLA



Superimposed-tag transmission (SUP method)

Idea: to send a tag signal simultaneously with the message signal

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with

- $\mathbf{b}_i = \{b_1, \ldots, b_L\}_i$ block of L message symbols (i.i.d. RVs);
- $f_{enc}()$ the encoding function and g() the tag generation function;
- ρ_* the energy ratio allocated to the message (ρ_s) and to the tag (ρ_t) $\Rightarrow \rho_s^2 + \rho_t^2 = 1.$

Signal reception and estimation

Bob will receive a signal \mathbf{y}_i :

$$\mathbf{y}_i = h_i \mathbf{x}_i + \mathbf{n}_i$$

- ° **h**_i: Rayleigh flat-block fading channel $h_i \sim C\mathcal{N}(0, \sigma_h^2)$
- ° \mathbf{n}_i : white gaussian noise $\mathbf{n}_i = \{n_1, \dots, n_L\}_i$ where $\{n_k\}_i \sim \mathcal{CN}(0, \sigma_n^2)$

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° \mathbf{n}_i : white gaussian noise $\mathbf{n}_i = \{n_1, \dots, n_L\}_i$ where $\{n_k\}_i \sim \mathcal{CN}(0, \sigma_n^2)$ Bob will compare the estimated tag $\hat{\mathbf{t}}_i$ and a computed residual signal $\mathbf{r}_i = \frac{1}{\rho_t}(\hat{\mathbf{x}}_i - \rho_s \hat{\mathbf{s}}_i)$.



Received signal authentication

Received signal authentication

The authentication is a threshold test with hypoteses [8]:

$$\begin{array}{ll} \mathcal{H}_{0}: & \delta_{i} \sim \mathcal{N}\left(0, \frac{L}{2\rho_{t}^{2}\gamma_{i}}\right) & \rightarrow \mathbf{t}_{i} \text{ is not present in } \mathbf{r}_{i} \\ \mathcal{H}_{1}: & \delta_{i} \sim \mathcal{N}\left(L, \frac{L}{2\rho_{t}^{2}\gamma_{i}}\right) & \rightarrow \mathbf{t}_{i} \text{ is present in } \mathbf{r}_{i} \end{array}$$

- ° γ_i : instantaneous channel SNR $\left(=\frac{|h_i|^2}{\sigma_n^2}\right)$
- ° $\bar{\gamma}$: average SNR (= $\frac{\sigma_h^2}{\sigma_n^2}$)

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The authentication decision φ_i is then:

$$\varphi_i = \begin{cases} 1, & \delta_i \ge \theta_i^0\\ 0, & \delta_i < \theta_i^0 \end{cases}$$

with θ_i^0 the optimal threshold for a fixed probability of false alarm ϵ_{FA} ($P\{H_0|H_1\}$).

Probability of authentication and simulation

The probability of detection of a randomly chosen block is [8]

$$P_D = \mathbb{E}\{\Pr\{\delta_i \ge \theta_i^0 | H_1\}\} = \frac{1}{2} \left(1 - \operatorname{sign}(\theta^0 - L)\sqrt{\frac{(\theta^0 - L)^2 \rho_t^2 \bar{\gamma}}{L + (\theta^0 - L)^2 \rho_t^2 \bar{\gamma}}}\right)$$

Probability of authentication and simulation



Figure: P_D versus different SNRs for L = 64, $\epsilon_{FA} = 0.01$, and different ρ_t^2 .

Idea of slope authentication

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Take the case of two equal groups:



Tagged signal transmission and reception

The tag $\mathbf{t}_i = g(\mathbf{p}_i, \mathbf{k})$ (\mathbf{p}_i is the pilot signal) indicates which message signal symbol belongs to which group and is not sent. The tagged signal is constructed as



with $\mathbf{s}_{i,*}$ the message signal symbols belonging to the group * and the energy allocation limitation $\frac{\alpha^2}{2} + \frac{\beta^2}{2} = 1$.

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The received tagged signal: $\mathbf{y}_i = \mathbf{y}_{i,1} | \mathbf{y}_{i,2}$ with $\mathbf{y}_{i,*} = h_i \mathbf{x}_{i,*} + \mathbf{n}_{i,*}$.

<u>Remark</u>: Nakagami-m block-fading channel model [7] ($m = 0.5, 1 \Leftrightarrow$ one-sided Gaussian distribution, Rayleigh, respectively).

Test statistic is the slope between the groups

The hypotheses are different from the SUP method:

 H_0 : \mathbf{y}_i is a normal signal H_1 : \mathbf{y}_i is a tagged signal

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 $\begin{array}{ll} H_0: & \mathbf{y}_i \text{ is a normal signal} \\ H_1: & \mathbf{y}_i \text{ is a tagged signal} \end{array}$

To decide for authtencity of a signal we will compare τ_i to a threshold θ_i as before:

$$\tau_i = \tau_{i,1} - \tau_{i,2}$$

with $\tau_{i,*} = \mathbf{y}_{i,*}^{\dagger} \mathbf{y}_{i,*}$.

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We can see a second advantage of the slope authentication compare to the SUP method: one multiplication instead of channel estimation and demodulation

Probability of authentication

The probability of tag detection for the ith block is

$$P_{i,PD} = Q_1 \left(\sqrt{\frac{2T_i^2}{\sigma_n^2}}, \sqrt{2\ln\left(\frac{1}{2\epsilon_{FA}}\right)} \right) - \frac{1}{2} e^{\left(\ln\left(\frac{1}{2\epsilon_{FA}}\right) - \frac{T_i^2}{2\sigma_n^2}\right)} Q_1 \left(\sqrt{\frac{T_i^2}{\sigma_n^2}}, \sqrt{4\ln\left(\frac{1}{2\epsilon_{FA}}\right)} \right)$$

with Q_1 the first order Marcum Q-function and $T_i = |h_i|^2 (\alpha^2 - \beta^2)$. Then, for a randomly chosen block, the probability of detection is

$$P_D = \int P_{i,PD} f_{\gamma}(\gamma) d\gamma$$

with $f_{\gamma}(\gamma)$ the PDF of channel SNR.



Fig. 6. Authentication probabilities of the Auth-SUP method and the proposed Auth-SLO method considering each block separately with $\varepsilon_{\rm FA} = 0.01$, where the remaining simulation parameters are the same as with $f_{\gamma}(\gamma)$ those of Fig. 5 except (a) $\rho_t = 0.1$, $\beta = 0.9$; (b) $\rho_t = 0.15$, $\beta = 0.9$.

BER and channel estimation: superiority of slope method



Fig. 5. BER of Carol's receiver for a normal signal, the Auth-SUP method and the proposed Auth-SLO method under Nakagami fading with m = 1.5, where the transmit signal is modulated with binary phase-shift keying (BPSK), $L = 2000, f_c = 2$ GHz and d = 100m. (a) $\rho_t^2 = 0.1, \beta = 0.9$; (b) $\rho_t^2 = 0.05$ and $\beta = 0.95$.

BER and channel estimation: superiority of slope method



Fig. 9. Authentication probabilities of the Auth-SUP method and the proposed Auth-SLO method considering each block separately with $\varepsilon_{\text{FA}} = 0.01$, where $\hat{h} = h + \tilde{h}$, $\tilde{h} \sim C\mathcal{N}\left(0, \sigma_n^2\right)$ and the remaining simulation parameters are the same as those of Fig. 6(b).

Conclusion

Two methods were presented:

- **1** Superimposed tag authentication
- 2 Slope authentication

Both methods are sensible to their parameters (ρ_t and β). Still, the slope method present advantages compared to the SUP method:

- reduced impact at the unaware receiver
- reduced computation complexity

However, I didn't recover the [7] figures. After recovering them, parameter optimization will be done for different IIoT application: simulate an industrial environment and apply PLA methods with specific standard.



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Superimposed-tag authentication (SUP) [6]

Definitions and transmitted tagged signal

Idea: to send a tag signal simultaneously with the message signal

Definitions:

- b_i : block of L message symbols $\{b_{i,k}\}$ idependent and identically distributed;
- *f_{enc}*: encoding function (channel coding, modulation and pulse shaping);
- *f_{dec}*: decoding function (inverse of *f_{enc}*);
- ° s_i : message signal (= $f_{enc}(b_i)$);
- ° t_i : tag signal (= $g(s_i, \mathbf{k})$) with g the tag generation function, e.g. hash function;
- $^\circ~\rho_*:$ energy allocation for the signal (s) or the tag (t) $\to \rho_s^2 + \rho_t^2 = 1.$

Alice sends the signal x_i to Bob:

$$x_i = \rho_s s_i + \rho_t t_i$$

Assumptions: $\mathbb{E}\{M_{i,k}\} = 0$; $\mathbb{E}\{|x_{i,k}|^2\} = 1$; $\mathbb{E}\{|M_i|^2\} = L$; $\mathbb{E}\{s_i^{\dagger}t_i\} = 0$; where *M* denotes *s*, *t* or *x*; $k = \{1, ..., L\}$.

Superimposed-tag authentication (SUP) [6] Definitions

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Superimposed-tag authentication (SUP) [6] Tagged signal and detection

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Bob will receive the signal y_i :

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Bob will compare the estimated tag \hat{t}_i and a computed residual signal $\mathbf{r}_i = \frac{1}{\rho_t} (\hat{x}_i - \rho_s \hat{s}_i).$

Superimposed-tag authentication (SUP) [6]

Transmission, reception and authentication block diagrams



Slope authentication [7] Tagged signal

The tag $t_i = g(p_i, \mathbf{k})$ (p_i is the pilot signal) indicates which message signal symbol belongs to which group and is not sent. The tagged signal is constructed as

$$x_{i,1} = \alpha s_{i,1}$$
$$x_{i,2} = \beta s_{i,2}$$

with $s_{i,*}$ the message signal symbols belonging to the group * and the energy allocation limitation $\frac{\alpha^2}{2} + \frac{\beta^2}{2} = 1$.

The received tagged signal is then:

$$y_{i,1} = h_i x_{i,1} + n_{i,1}$$

 $y_{i,2} = h_i x_{i,2} + n_{i,2}$

[7] considers Nakagami-m block-fading channel. The Nakagami-m PDF is

$$f_x(x) = \frac{2m^m x^{2m-1}}{\Gamma(m)} e^{(-mx^2)}$$

Slope authentication [7] Probability of detection

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$$P_D = \int P_{i,PD} f_{\gamma}(\gamma) d\gamma$$

with $f_{\gamma}(\gamma) = \frac{1}{\gamma \Gamma(m)} \left(\frac{m\gamma}{\overline{\gamma}}\right)^m e^{\left(-\frac{m\gamma}{\overline{\gamma}}\right)}, \ \gamma \ge 0.$

Slope authentication [7]





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